

Time: 20 Min

Roll No: _____

Date: 08-05-17

Marks:10

- 1) A mapping that preserves angle and sense is ----- []
a) Isogonal b) conformal c) Bilinear d) None
- 2) The other name of the bilinear transformation is-----[]
a) Conformal b) Mobius c) Invariant d) None
- 3) Cauchy- Riemann equations are []
a) $\frac{\partial u}{\partial x} = \frac{\partial v}{\partial y}$ and $\frac{\partial v}{\partial x} = \frac{\partial u}{\partial y}$ b) $\frac{\partial u}{\partial x} = \frac{\partial v}{\partial y}$ and $\frac{\partial v}{\partial x} = -\frac{\partial u}{\partial y}$
c) $\frac{\partial u}{\partial x} = \frac{\partial u}{\partial y}$ and $\frac{\partial v}{\partial x} = -\frac{\partial v}{\partial y}$ d) None
- 4) If $u = \cos x \cosh y$, then the corresponding analytic function is []
a) $f(z) = \sin z + c$ b) $f(z) = \sinh z + cc$ c) $f(z) = \cosh z + c$ d) $f(z) = \cos z + c$
- 5) If $\lim_{z \rightarrow z_0} f(z)$ exists then the limit is []
a) Unique b) Not Unique c) Twice d) None
- 6) A point at which $f(z)$ fails to be analytic is called -----off(z) []
a) Singular points b) Zero points c) Null points d) None
- 7) $f(z) = \frac{2z+1}{z^2-2z}$ the poles of $f(z)$ are-----[]
a) 0,1 b) 0,2 c) 0,-2 d) None
- 8) If $f(z)$ has a simple pole at $z=a$, then $\text{Res } f(z) =$ ----- []
a) $\lim_{z \rightarrow a} (z-a)f(z)$ b) $\lim_{z \rightarrow a} \frac{1}{(n-1)!} \left\{ \frac{d^{n-1}}{dx^{n-1}} (z-a)^n f(z) \right\}$ c) $\lim_{z \rightarrow a} f(z)$ d) None
- 9) The residue of $f(z) = \frac{z}{z^2+1}$ at $z=i$ -----[]
a) $\frac{i}{2}$ b) $\frac{1}{4}$ c) $\frac{-1}{4i}$ d) None
- 10) The zeros of z^2+9 are []
a) $\pm 3i$ b) $3i$ c) ± 3 d) None

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11) Laurent series expansion contains -----powers []

a)Positive b)Negative c) Both (a)&(b) d) None

12) Evaluate $\int_c \frac{1}{z^2 + 4} dz$, c: $|z| = 1$ []

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13)The value of $\int_c \frac{\cos \pi z}{z-1} dz$ where c is $|z| = 3$ is []

a) $2\pi i$ b)- $2\pi i$ c) 0 d) $-4\pi i$

14) Evaluate $\int_c \frac{z-3}{z^2 + 2z + 5} dz$ here $|z| = 1$ is ----- []

a) 0 b) $\pi(i-2)$ c) $\pi(2-i)$ d) None

15) Determine the pole of $f(z) = \frac{z^2}{(z-1)^2(z+2)}$ []

a) $z=1$ is a pole of order 2 b) $z = -2$ is a pole of order 1 c) Both (a&b)d) None

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$$\int_c \frac{f(z)}{z-a} dz =$$

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G.PULLAIAH COLLEGE OF ENGINEERING & TECHNOLOGY **SET-3**
B. Tech II Year-II Semester (R13) Regular II MID EXAMINATIONS.MAY-2017
MATHEMATICS-IV (Common to ECE & EEE)

Time: 20 Min Roll No: _____ Date: 08-05-17

Marks:10

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SET-3

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a) Positive b) Negative c) Both (a)&(b) d) None

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a) 0 b) ± 1 c) ± 2 d) None

19) The value of $\int_c \frac{\cos \pi z}{z-1} dz$ where c is $|z|=3$ is []

a) $2\pi i$ b) $-2\pi i$ c) 0 d) $-4\pi i$

20) Evaluate $\int_c \frac{z-3}{z^2+2z+5} dz$ here $|z|=1$ is ----- []

a) 0 b) $\pi(i-2)$ c) $\pi(2-i)$ d) None

G.PULLAIAH COLLEGE OF ENGINEERING & TECHNOLOGY **SET-4**
B. Tech II Year-II Semester (R13) Regular II MID EXAMINATIONS, MAY-2017
MATHEMATICS-IV (Common to ECE & EEE)

Time: 20 Min

Roll No: _____

Date: 08-05-17

Marks: 10

1) If $\lim_{z \rightarrow z_0} f(z)$ exists then the limit is []

a) Unique b) Not Unique c) Twice d) None

2) Determine the pole of $f(z) = \frac{z^2}{(z-1)^2(z+2)}$ []

a) $z=1$ is a pole of order 2 b) $z=-2$ is a pole of order 1 c) Both (a&b) d) None

3) A point at which $f(z)$ fails to be analytic is called -----off(z) []

a) Singular points b) Zero points c) Null points d) None

4) $f(z) = \frac{2z+1}{z^2-2z}$ the poles of $f(z)$ are ----- []

a) 0,1 b) 0,2 c) 0,-2 d) None

5) If $f(z)$ has a simple pole at $z=a$, then $\text{Res } f(z) = \text{-----}$ []

a) $\lim_{z \rightarrow a} (z-a)f(z)$ b) $\lim_{z \rightarrow a} \frac{1}{(n-1)!} \left\{ \frac{d^{n-1}}{dx^{n-1}} (z-a)^n f(z) \right\}$ c) $\lim_{z \rightarrow a} f(z)$ d) None

6) The zeros of z^2+9 are []

a) $\pm 3i$ b) $3i$ c) ± 3 d) None

7) If $\int_{-\infty}^{\infty} \frac{dx}{x^4+1} = \frac{\pi}{\sqrt{2}}$ then $\int_0^{\infty} \frac{dx}{x^4+1}$ is ----- []

a) $\frac{\pi}{2\sqrt{2}}$ b) $\sqrt{2}\pi$ c) π d) None

8) If $f(z)$ is analytic within and on a closed curve c , and if 'a' is any point within c ,

then $\int_c \frac{f(z)}{z-a} dz =$ []

a) $f(a)$ b) $2\pi i f(a)$ c) $\frac{f(a)}{2\pi i}$ d) $2\pi f(a)$

9) $f(z) = z^3$ is []

a) Analytic everywhere b) Not analytic anywhere
c) Analytic for all finite values of z except at $z=0$ d) None of these

10) If $f(z) = e^x(\cos y + i \sin y)$ is an analytic function, then $f'(z) =$ []

a) e^x b) $e^{\frac{1}{z}}$ c) e^{-y} d) e^z

Time: 20 Min

Roll No: _____

Date: 08-05-17

Marks:10

- 1) If $\lim_{z \rightarrow z_0} f(z)$ exists then the limit is []
- a) Unique b) Not Unique c) Twice d) None
- 2) Determine the pole of $f(z) = \frac{z^2}{(z-1)^2(z+2)}$ []
- a) $z=1$ is a pole of order 2 b) $z = -2$ is a pole of order 1 c) Both (a&b) d) None
- 3) A point at which $f(z)$ fails to be analytic is called -----off(z) []
- a) Singular points b) Zero points c) Null points d) None
- 4) $f(z) = \frac{2z+1}{z^2-2z}$ the poles of $f(z)$ are----- []
- a) 0,1 b) 0,2 c) 0,-2 d) None
- 5) If $f(z)$ has a simple pole at $z=a$, then $\text{Res } f(z) = \text{-----}$ []
- a) $\lim_{z \rightarrow a} (z-a)f(z)$ b) $\lim_{z \rightarrow a} \frac{1}{(n-1)!} \left\{ \frac{d^{n-1}}{dx^{n-1}} (z-a)^n f(z) \right\}$ c) $\lim_{z \rightarrow a} f(z)$ d) None
- 6) The zeros of z^2+9 are []
- a) $\pm 3i$ b) $3i$ c) ± 3 d) None
- 7) If $\int_{-\infty}^{\infty} \frac{dx}{x^4+1} = \frac{\pi}{\sqrt{2}}$ then $\int_0^{\infty} \frac{dx}{x^4+1}$ is ----- []
- a) $\frac{\pi}{2\sqrt{2}}$ b) $\sqrt{2} \pi$ c) π d) None
- 8) If $f(z)$ is analytic within and on a closed curve c , and if 'a' is any point within c , then $\int_c \frac{f(z)}{z-a} dz =$ []
- a) $f(a)$ b) $2\pi i f(a)$ c) $\frac{f(a)}{2\pi i}$ d) $2\pi f(a)$
- 9) $f(z) = z^3$ is []
- a) Analytic everywhere b) Not analytic anywhere
c) Analytic for all finite values of z except at $z=0$ d) None of these
- 10) If $f(z) = e^x(\cos y + i \sin y)$ is an analytic function, then $f'(z) =$ []
- a) e^x b) $e^{\frac{1}{z}}$ c) e^{-y} d) e^z

11) The residue of $f(z) = \frac{z}{z^2 + 1}$ at $z = i$ is ----- []

- a) $\frac{i}{2}$ b) $\frac{1}{4}$ c) $\frac{-1}{4i}$ d) None

12) Laurent series expansion contains ----- power []

- a) Positive b) Negative c) Both (a)&(b) d) None

13) Evaluate $\int_c \frac{1}{z^2 + 4} dz$, $c: |z| = 1$ []

- a) 0 b) ± 1 c) ± 2 d) None

14) The value of $\int_c \frac{\cos \pi z}{z-1} dz$ where c is $|z| = 3$ is []

- a) $2\pi i$ b) $-2\pi i$ c) 0 d) $-4\pi i$

15) Evaluate $\int_c \frac{z-3}{z^2 + 2z + 5} dz$ here $|z| = 1$ is ----- []

- a) 0 b) $\pi(i-2)$ c) $\pi(2-i)$ d) None

16) The value of $\int_0^{2\pi} \frac{d\theta}{a + b \cos \theta}$, where $a > b > 0$ is ----- []

- a) $\frac{1}{\sqrt{a^2 - b^2}}$ b) $\frac{2\pi}{\sqrt{a^2 - b^2}}$ c) $\frac{2\pi}{\sqrt{(a^2 + b^2)}}$ d) None

17) A mapping that preserves angle and sense is ----- []

- a) Isogonal b) conformal c) Bilinear d) None

18) The other name of the bilinear transformation is ----- []

- a) Conformal b) Mobius c) Invariant d) None

19) Cauchy- Riemann equations are []

- a) $\frac{\partial u}{\partial x} = \frac{\partial v}{\partial y}$ and $\frac{\partial v}{\partial x} = \frac{\partial u}{\partial y}$ b) $\frac{\partial u}{\partial x} = \frac{\partial v}{\partial y}$ and $\frac{\partial v}{\partial x} = -\frac{\partial u}{\partial y}$

- c) $\frac{\partial u}{\partial x} = \frac{\partial u}{\partial y}$ and $\frac{\partial v}{\partial x} = -\frac{\partial v}{\partial y}$ d) None

20) If $u = \cos x \cosh y$, then the corresponding analytic function is []

- a) $f(z) = \sin z + c$ b) $f(z) = \sinh z + c$ c) $f(z) = \cosh z + c$ d) $f(z) = \cos z + c$

11) The residue of $f(z) = \frac{z}{z^2 + 1}$ at $z = i$ ----- []

- a) $\frac{i}{2}$ b) $\frac{1}{4}$ c) $\frac{-1}{4i}$ d) None

12) Laurent series expansion contains -----power []

- a) Positive b) Negative c) Both (a)&(b) d) None

13) Evaluate $\int_c \frac{1}{z^2 + 4} dz$, $c: |z| = 1$ []

- a) 0 b) ± 1 c) ± 2 d) None

14) The value of $\int_c \frac{\cos \pi z}{z - 1} dz$ where c is $|z| = 3$ is []

- a) $2\pi i$ b) $-2\pi i$ c) 0 d) $-4\pi i$

15) Evaluate $\int_c \frac{z - 3}{z^2 + 2z + 5} dz$ here $|z| = 1$ is ----- []

- a) 0 b) $\pi(i - 2)$ c) $\pi(2 - i)$ d) None

16) The value of $\int_0^{2\pi} \frac{d\theta}{a + b \cos \theta}$, where $a > b > 0$ is ----- []

- a) $\frac{1}{\sqrt{a^2 - b^2}}$ b) $\frac{2\pi}{\sqrt{a^2 - b^2}}$ c) $\frac{2\pi}{\sqrt{(a^2 + b^2)}}$ d) None

17) A mapping that preserves angle and sense is ----- []

- a) Isogonal b) conformal c) Bilinear d) None

18) The other name of the bilinear transformation is ----- []

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19) Cauchy-Riemann equations are []

- a) $\frac{\partial u}{\partial x} = \frac{\partial v}{\partial y}$ and $\frac{\partial v}{\partial x} = \frac{\partial u}{\partial y}$ b) $\frac{\partial u}{\partial x} = \frac{\partial v}{\partial y}$ and $\frac{\partial v}{\partial x} = -\frac{\partial u}{\partial y}$

- c) $\frac{\partial u}{\partial x} = \frac{\partial u}{\partial y}$ and $\frac{\partial v}{\partial x} = -\frac{\partial v}{\partial y}$ d) None

20) If $u = \cos x \cosh y$, then the corresponding analytic function is []

- a) $f(z) = \sin z + c$ b) $f(z) = \sinh z + cc$ c) $f(z) = \cosh z + c$ d) $f(z) = \cos z + c$

